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Detecția și eliminarea distorsiunii din înregistrări audio de pe formate analoage

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Distortion detection and removal on audio recordings from analog formats

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Abstract

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Chapter 1

Introduction. Problem statement and motivation.

1.1. Introduction

We all listen to music. Some of us more, some – less, and some can’t live without it! Nowadays, it’s very easy to listen to whatever you want, whenever you want, due to the technological advances made in the last decades. But this wasn’t always the case. Until the late 1800’s, there was no device that would allow sound playback, so music could be listened to only from live performances. With the invention of various sound record and playback devices, like the gramophone, the magnetic tape, and later – the digital formats, sound reproduction soon became accessible to everyone.

Even if many people nowadays consider the analog formats obsolete and rely solely on their electronic devices to listen to audio, those “considered to be extinct” formats are actually regaining their former popularity: new vinyl pressing plants are being opened due to the increasing demand [12] (even though turntable sales stay at a constant rate [13]), and cassette tape sales grew by 74% in 2016 (still, the amount of albums sold on cassettes is very small reported to the total number of albums sold) [14].

The melomaniacs are divided into three main groups: those who stick to the digital formats and don’t want to hear about analog ones, those who consider that analog is by any means superior in quality to digital, and those who recognize the ups and downs of each of the formats. In reality, every storage medium has its advantages and disadvantages, so choosing between them is, in the end, a mostly subjective opinion.

In Table 1.1, we can see various qualities and defects of three main formats: digital formats (such as CDs, online streams, MP3s etc.), vinyl records and audio cassette tapes. One might say that the digital format is clearly the winner, but some still prefer the “touchable” formats for one or another of their unique features, being it the musical content inscribed on it, it’s historical value, the artwork and information on the cover or just for the feeling of owning a palpable collection.

Leaving aside preferences, it is undoubtedly that there are recordings on non-digital formats that haven’t yet made their way off to a more easily to use media. Often, the analog media degrades over time, and in order to get the best out of a recording, restoration of some degree may be required. This is done by making use of **signal processing,** either using specialized electronic devices (analog signal processing), or by editing the sound on a computer (digital signal processing).

|  |  |  |  |
| --- | --- | --- | --- |
|  | Format | | |
| Digital | Vinyl records | Cassette tapes |
| Advantages | Very easy to use and get access to | Artwork and packaging are much more intriguing than other formats' | Small and portable |
| Great sound quality (when using appropriate encoding) | The engraved sound wave is visible; you can see what you're listening to | Cheaper than vinyl records |
| Storage support doesn't easily degrade in time | Pretty good sound quality, relative to its predecessors | Easy to record, duplicate and edit |
| Playback, recording and editing can be easily accomplished | Can fit large amounts of information on the cover | Little wear over time |
| Disadvantages | Large file sizes for quality recordings | Prone to irreversible wear over time | Louder background noise than vinyl |
| Audible compression artifacts (when using lossy encodings to reduce file size) | Needs specialized equipment for playback | Production faults, such as wow and flutter |
| Easy to illegally share copyrighted content | Limited recording time | Limited recording time |
|  | Large and heavy format; storage needs to be made carefully | Limited dynamic range and frequency response |
|  | Costly to produce |  |

Table 1.1. Comparison between today’s most popular audio formats.

Chapter 3

Basic digital signal processing

3.1. Digital audio signal representation

Sound is defined as an oscillation in pressure, stress, particle displacement, particle velocity, etc., propagated in a medium with internal forces (e.g., elastic or viscous), or the superposition of such propagated oscillation [1]. This oscillation can be represented as a continuous function that describes the variation in time of the medium’s pressure, allowing us to “see” sounds. (Fig. 3.1)

Sound is transmitted through gases and liquids as longitudinal waves, and through solids both as longitudinal and transverse waves. A transmitting medium is required, so sound cannot travel through vacuum. In a longitudinal wave, the direction of displacement is the same as the direction of propagation, while in a transverse wave, the direction of displacement is perpendicular to the direction of propagation [2]. To better understand the difference between the longitudinal and transversal waves, Fig. 3.1 depicts sound waves in air (longitudinal waves), while Fig. 3.2 presents transverse waves travelling through a metal wire. As seen in Fig. 3.1., a single-frequency sound wave traveling through air will cause a sinusoidal pressure variation in the air. The air motion which accompanies the passage of the sound wave will be back and forth in the direction of the propagation of the sound, a characteristic of longitudinal waves [3]. In Fig. 3.2., the bow’s movement drags the chord, its displacements being transmitted as transverse waves moving along the chord with the chord’s speed of sound.

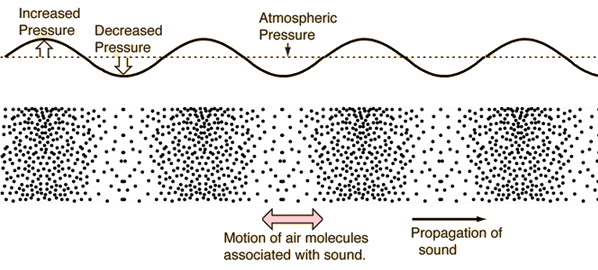
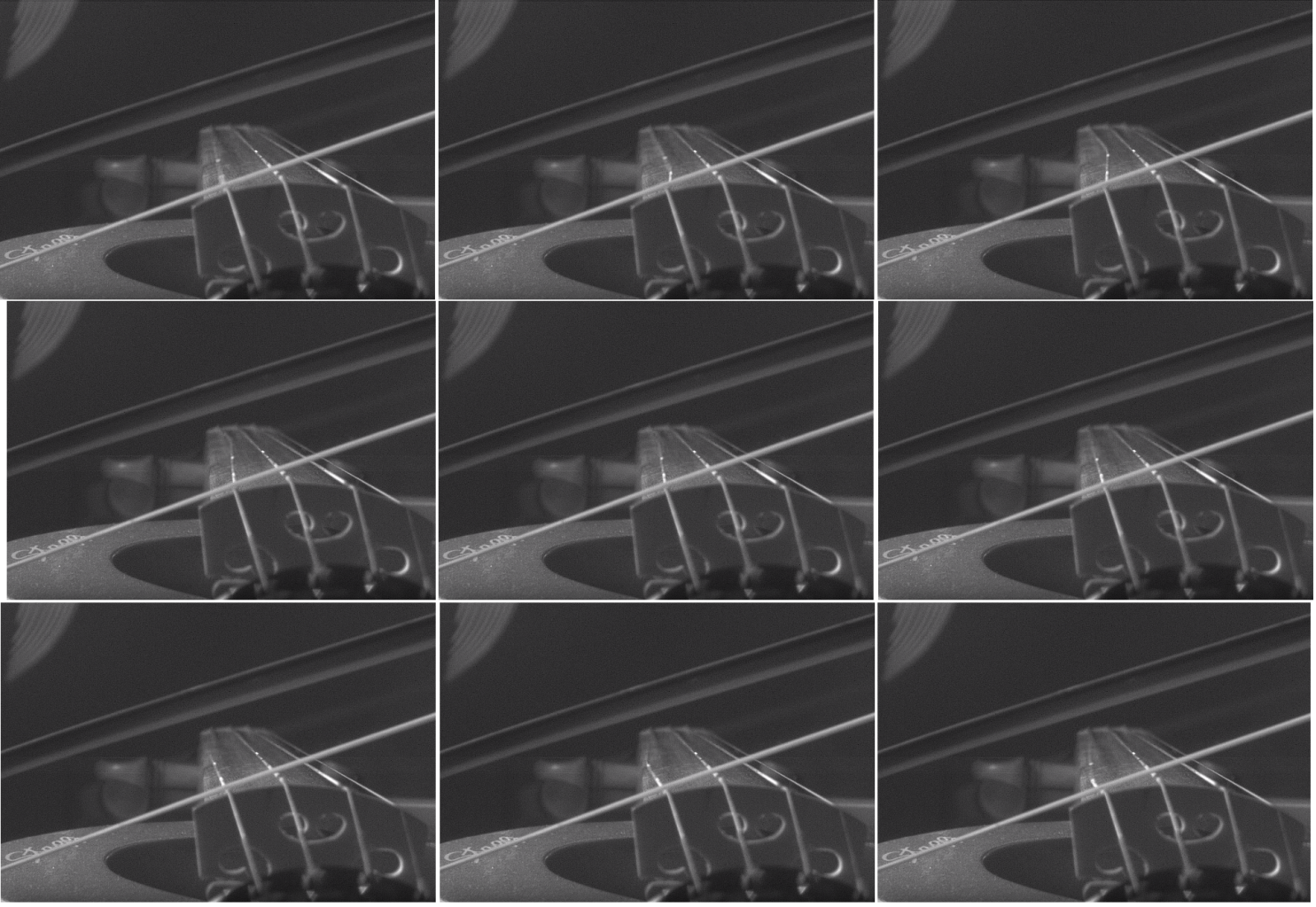


Fig. 3.1: Sound Waves in Air.

Fig. 3.2. Transverse waves seen in a bowed violin chord. [4]

Audio signals are representation of sound, typically as an electrical voltage (analog) or as discrete numerical values (digital). Conversion from the analog continuous-time signal to the digital discrete-time signal (also called sampling) is made usually with ADCs (Analog to Digital Converters), and with DACs(Digital to Analog Converters) from digital to analog. A **sample** isa signal’s value at a point in time**.** When converting from analog to digital, some of the information is lost because of factors like:

* 1. discretization – the resulted signal is no longer continuous (precisely defined in every point in time), but discrete: the intensity of the analog signal is recorded at fixed time points. The number of equidistant time points in a second is called **sample rate** (or sampling frequency)**.** The highest frequency that can be carried by the signal, called the **Nyquist frequency**, is given by the formula 3.1.;

(3.1)

* 1. storage as finite numbers – as opposed to analog values, the precision of the digital values is finite, so only some of the significant digits can be stored.

Figure 3.3 and Table 3.1 show the process of conversion from an analog signal to a digital one. In Fig. 3.3, a sine wave is sampled 20 times for each cycle. Each sample is then stored as a 8-bit signed integer ( values in [ -128, 127 ] ). Table 3.1 shows the discretization errors raised at the conversion. The digital samples are stored as 8-bit signed integers, with values in [ -128, 127 ], rescaled here to [ -1,1 ) to show the error. Analog samples are in the range [ -1,1 ], where -1 is the smallest possible signal value, and 1 is the maximum. We can see the errors are pretty large for the chosen sample encoding.

By choosing an appropriate sample rate and sample encoding, the lost information (error) can be small enough to be considered negligible.

After getting the sample values from the original analog signal, the samples are then stored as digital numbers in audio files. These sample values can be stored either as uncompressed files, like the WAV and AU formats, which we’ll be discussing about later, or as compressed files (to decrease file size). Compressed file formats can be lossy (the decompressed data is an approximation of the original), such as MP3, or lossless (compression preserves the exact original values ), such as FLAC. Audio files typically contain information about the sampling rate, number of channels and sample encoding (float/integers, signed/unsigned, bit-depth, companding and others).

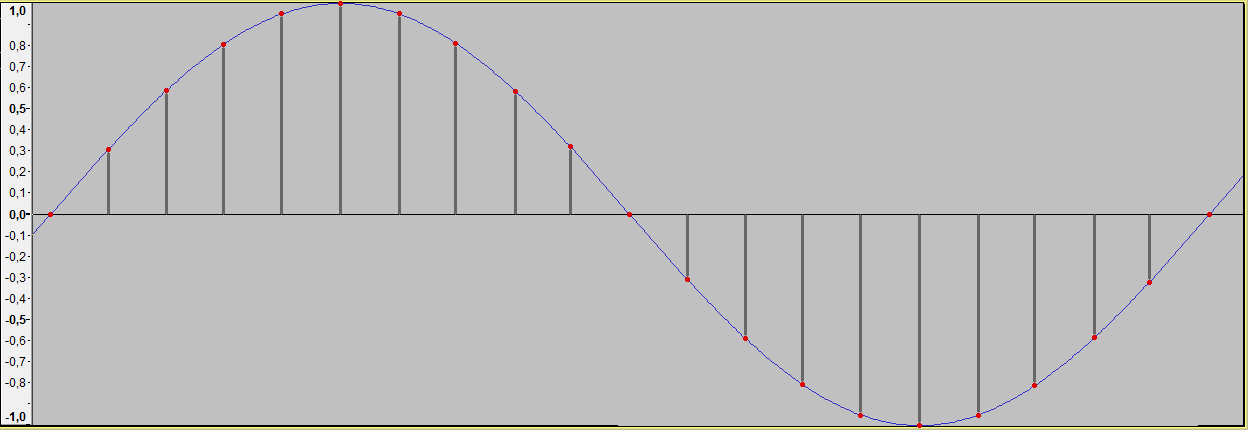


Fig. 3.3. Conversion from continuous-time to discrete-time.

|  |  |  |  |  |  |  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- | --- | --- | --- | --- | --- | --- |
| Sample no. | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 |
| Actual value | 0,00000 | 0,30902 | 0,58779 | 0,80902 | 0,95106 | 1,00000 | 0,95106 | 0,80902 | 0,58779 | 0,30902 | 0,00000 |
| Sampled value | 0,00000 | 0,30469 | 0,58594 | 0,80469 | 0,94531 | 0,99219 | 0,94531 | 0,80469 | 0,58594 | 0,30469 | 0,00000 |
| Error | 0,00% | 0,43% | 0,19% | 0,43% | 0,57% | 0,78% | 0,57% | 0,43% | 0,19% | 0,43% | 0,00% |

|  |  |  |  |  |  |  |  |  |  |  |
| --- | --- | --- | --- | --- | --- | --- | --- | --- | --- | --- |
| Sample no. | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 |
| Actual value | -0,30902 | -0,58779 | -0,80902 | -0,95106 | -1,00000 | -0,95106 | -0,80902 | -0,58779 | -0,30902 | 0,00000 |
| Sampled value | -0,31250 | -0,59375 | -0,81250 | -0,95313 | -1,00000 | -0,95313 | -0,81250 | -0,59375 | -0,31250 | 0,00000 |
| Error | 0,35% | 0,60% | 0,35% | 0,21% | 0,00% | 0,21% | 0,35% | 0,60% | 0,35% | 0,00% |

Table 3.1. Errors at conversion from analog to digital samples.

3.2. Filters: Finite Impulse Response and Infinite Impulse Response

Signal filtering is one of the main applications of signal processing [[5], p.185]. Filters are used for many purposes, but, in audio signal processing, they are mostly used to achieve a desired frequency response, the most basic being low-pass (which only let low frequencies pass), high-pass (same for high frequencies), band-pass and band-stop filters. Low- and high-pass filters are widely used in speaker cabinets to separate the input signal to each of the drivers, depending on drivers’ frequency response. An example for use of band-pass filters is in radio communication, to isolate the required frequency band (representing a radio channel) from the others.

Depending on the considered audio signal, there are two types of filters: analog (electronic) and digital. Electronic filters can range from simple circuits, made just from simple passive components: resistors, inductors and capacitors, to complex ones, including along the usual passive components, active components: transistors, amplifiers, operational amplifiers and others.

The digital signal processing systems use samples of input signals, which constitute series of numbers. The result may be also series of numbers, to be used as output signals [[5], p. 239]. Each sample of the output signal is computed as a weighted sum of the previous few input and output samples. This weighted sum is also known as a convolution. There are two primary types of digital filters: FIR (Finite Impulse Response) and IIR (Infinite Impulse Response). The impulse response of a system is its output when presented with a brief input signal, called an impulse. Applying a filter to a signal will alter each frequency’s magnitude and phase according to the filter’s impulse response. It remains to design a filter, knowing the desired response, which we’ll discuss in the next section.

When using a FIR filter, each output sample is computed from the previous input samples and a fixed set of coefficients, the weights. The weights are associated to input samples based on each sample’s delay (how far it is from the most recent input sample). Input samples, ordered by delay, are stored in a so-called delay line. The resulted sample is calculated by a set of multiply-accumulate operations: each is input sample is multiplied with its weight, and summed to the output sample:

(3.1)

where:

• is the input signal,

• is the output signal,

• is the filter order and the number of taps. A “tap” is simply a coefficient/delay pair [6]; an th-order filter needs N previous input samples and has terms on the right-hand side,

• is the set of the coefficients; is the weight associated to the th input sample.

For an FIR filter, the filter coefficients are, by definition, the impulse response of the filter [6]. The impulse response is finite ( when the input samples become 0, the output will eventually become 0 ) because there is no feedback in the FIR. A lack of feedback guarantees that the impulse response will be finite [7].

The other class of digital filters is IIR filters which, unlike FIR filters, use feedback, i.e. samples already computed by the filter are used in the next iterations. Each output sample is computed from the previous input sample (feedforward), but also from the previous output samples (feedback). Like FIR filters, each sample has an associated weight, based on the sample’s delay, so there are needed two sets of coefficients: feedforward and feedback. The formula is as following:

(3.2)

In many digital signal processing applications, FIR filters are preferred over their IIR counterparts. The main advantages of the FIR filter designs over their IIR equivalents are the following [8]:

1. FIR filters with linear phase response (all frequencies are delayed by the same constant time amount) can easily be designed;
2. They are simple to implement (two nested loops, one for iterating the input samples, one for the coefficients);
3. FIR filters are always stable, i.e. given a bounded input signal, the output signal will also be bounded. If designed wrong, IIR filters can diverge.
4. They have desirable numeric properties. The use of finite-precision arithmetic in IIR filters can cause significant problems due to the use of feedback, but FIR filters can usually be implemented using fewer bits, and the designer has fewer practical problems to solve related to non-ideal arithmetic [7];
5. Excellent design methods are available for various kinds of FIR filters with arbitrary specification [8].

The main disadvantage of FIR filters is that they may require much more computational effort and memory than a comparable IIR counterpart.

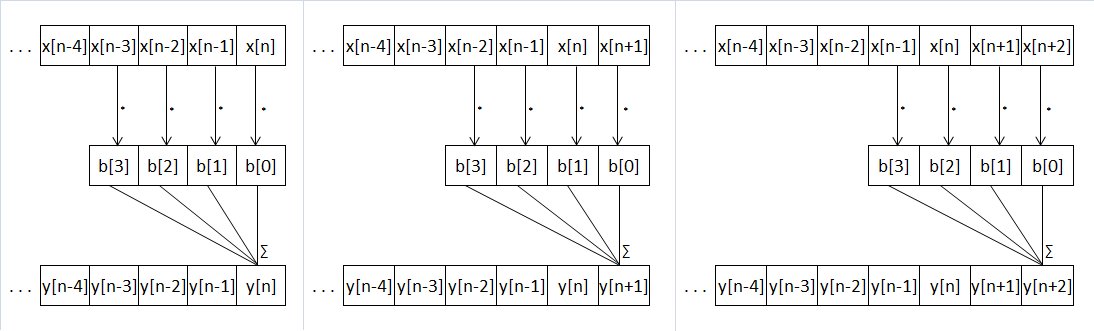
Figures 3.4 and 3.5 give an example as how an FIR filter and IIR filter work along the input data:

Fig. 3.4: Application of a digital FIR filter

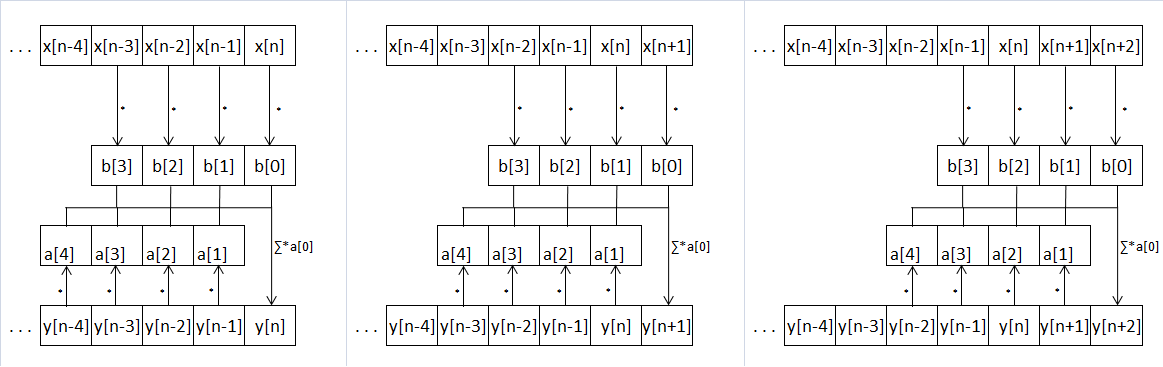


Fig. 3.5: Application of a digital IIR filter

3.3. Frequency domain and Fourier transforms

As we previously saw, an audio signal is represented as a variation of intensity over time (being it air pressure or electric voltage). The human auditory system picks up the eardrum’s vibrations and transduces them into nerve impulses, which are then perceived in the brain as “sound”. However, the brain doesn’t interpret the sound by its pressure wave, but rather by its frequencies’ amplitudes, phase and pitch. For example, an audible sine wave will be perceived not as the periodic function the sin function looks like, but as a pure tone, with a certain pitch and loudness.

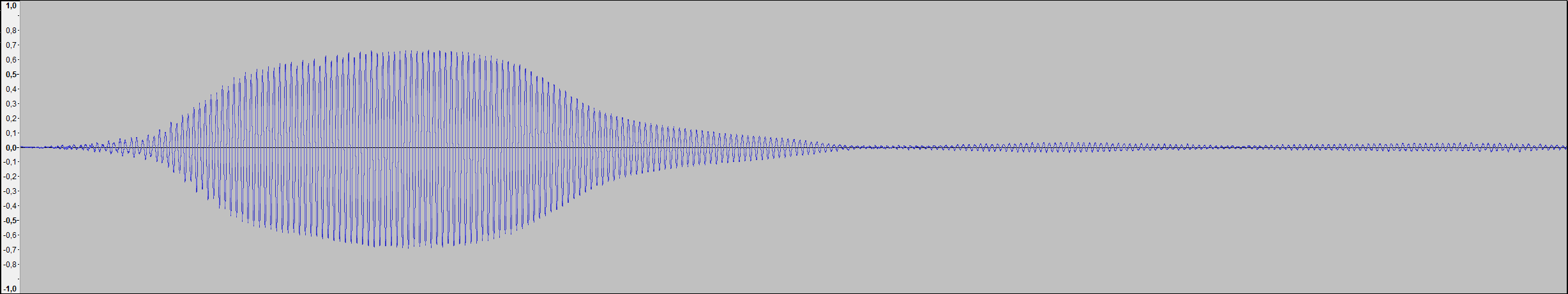
The function that gives the variation of wave’s intensity is called **time-domain.** The function that gives the component frequencies is called **frequency-domain.**

In 1822, Fourier in his work on heat flow made a remarkable assertion that every function f(x) with period 2π can be represented by a trigonometric infinite series of the form given by formulas 3.3, 3.4 and 3.5.

(3.3)

[[9], p.1]

An infinite series of this form is called a Fourier series [[9], p.1]. an and bn are called the Fourier coefficients. Using the Fourier series, one can transform from time-domain to frequency domain and vice-versa. Fig. 3.6 shows the same sound, plotted in time-domain and in frequency-domain. In the time-domain plot, x-axis is time, y-axis is signal’s amplitude. In the frequency-domain plot (spectrogram), x-axis is time (the signal was partitioned into wavelets), y-axis is frequency, and z-axis (color intensity) is amplitude. A note played on flute has the fundamental considerably louder than the harmonics, so the sound wave generated look pretty close to a sine wave. The spectrogram clearly shows the harmonics.



background noise

fundamental (1st harmonic) – 880 Hz

2nd harmonic – 1760 Hz

3rd harmonic – 2640 Hz

4th harmonic – 3520 Hz

5th harmonic – 4400 Hz

Fig. 3.6.: Note A5 (880Hz) played on a flute. Top – plot of the time-domain function. Bottom – plot of the frequency-domain function.

As we’ll do digital signal processing, we’ll not be working with continuous functions, but rather with discrete ones. A DFT (Discrete Fourier Transform) is a Fourier that transforms a discrete number of samples of a time wave and converts them into a frequency spectrum. The spectrum of the signal from Fig. 3.6 can be seen in Fig. 3.7. This time, a single wavelet covering the whole shown signal was input into the Fourier transform. The opposite of DFT is the IDFT (Inverse Discrete Fourier Transform), which transforms the frequency spectrum to a discrete number of samples. The equation for the Discrete Fourier Transform is:

where F(n) is the amplitude at the frequency n, and N is the number of discrete samples taken. Note that:

i.e. each frequency has a cosine and a sine component, each with its own amplitude.

The IDFT formula looks similar to the DFT:

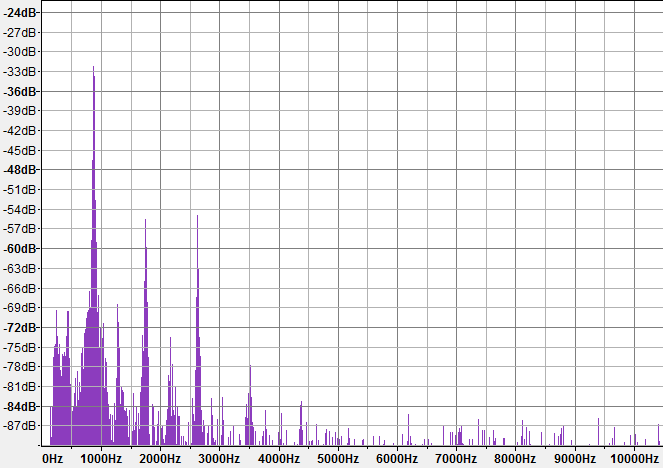


Fig. 3.7. Spectral plot of the same signal from Fig. 3.6. Arrow point to sound’s harmonics.

3.4. Filter design and frequency equalization

We’ll want to use filters, among other uses, to change the output signal’s frequency response, i.e. to apply an equalization curve ( a set of frequency-gain pairs ). In this section, we’ll discuss how to create a FIR filter from a given equalization curve. The problem stands in calculating its coefficients based on the desired frequency and phase response.

For the design of FIR filters, there have been developed several methods:

1. Direct Calculation: In the case of some types of filters, such as high-pass and low-pass filters, their coefficients can be directly calculated from formulas. For example, the ideal low-pass filter follows the function, as shown in Fig. 3.8.
2. Parks-McClellan: The Parks-McClellan method is probably the most widely used FIR filter design method. It is an iteration algorithm that accepts filter specifications in terms of passband and stopband frequencies, passband ripple, and stopband attenuation. The fact that you can directly specify all the important filter parameters is what makes this method so popular [11].
3. Windowing: Using the property that, the DFT of the impulse response gives the filter’s frequency response, we can calculate the coefficients by applying the IDFT on the wanted response. After that, the impulse response can be refined by applying a windowing function.

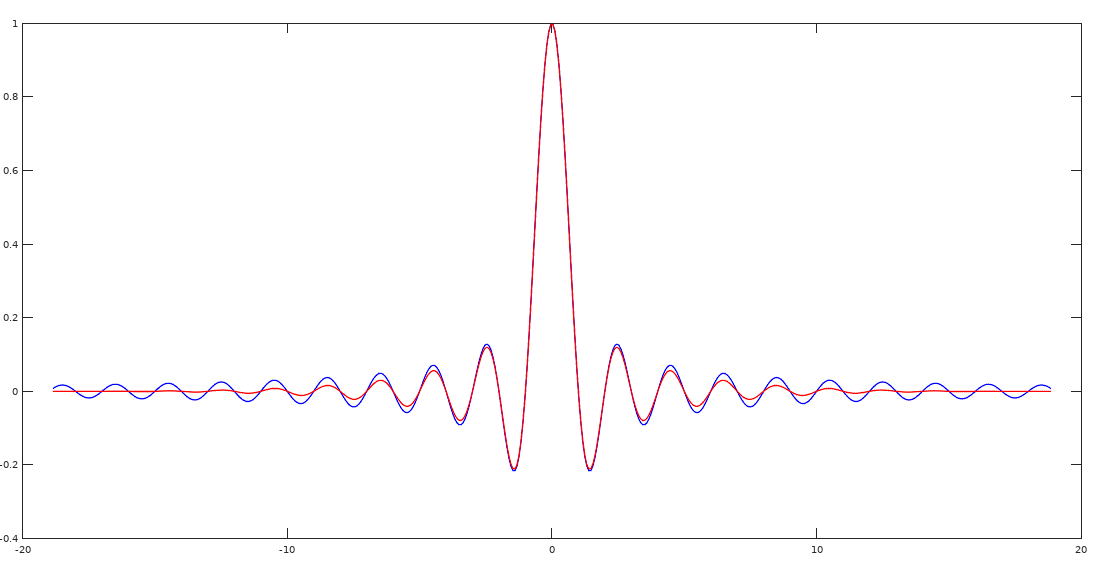


Fig. 3.8.: The ideal low-pass filter, the sinc function.. With blue, the FIR coefficients following the sinc function. With red, the coefficients after applying a Blackman window.

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